

# FULL ADDER

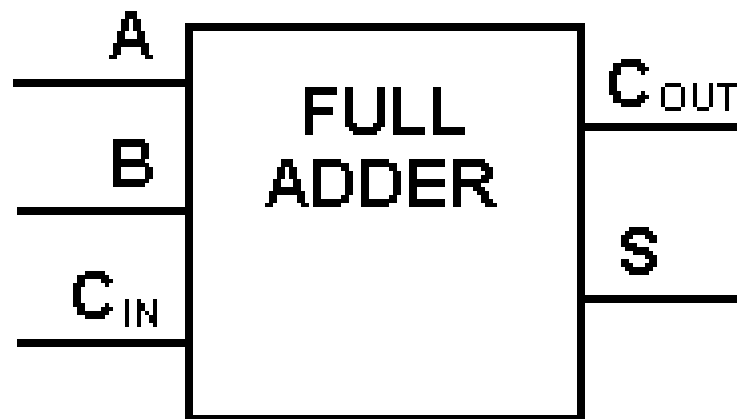
**Dr. Thankamma George**  
**Asso. Professor**  
**Dept. of Physics**  
**Jyoti Nivas College**  
**Autonomous**

➤ Full adder circuit performs addition

➤ It is so called because it adds together two binary digits plus a carry-in digit to produce a sum and carry-out digit

➤ The main difference between a half-adder and a full-adder is that, the full-adder has three inputs and two outputs

➤ The first two inputs are A and B and the third input is an input carry designated as  $C_{in}$



## Full Adder Truth-table

INPUTS			OUTPUT	
A	B	C-IN	C-OUT	S
0	0	0	0	0
0	0	1	0	1
0	1	0	0	1
0	1	1	1	0
1	0	0	0	1
1	0	1	1	0
1	1	0	1	0
1	1	1	1	1

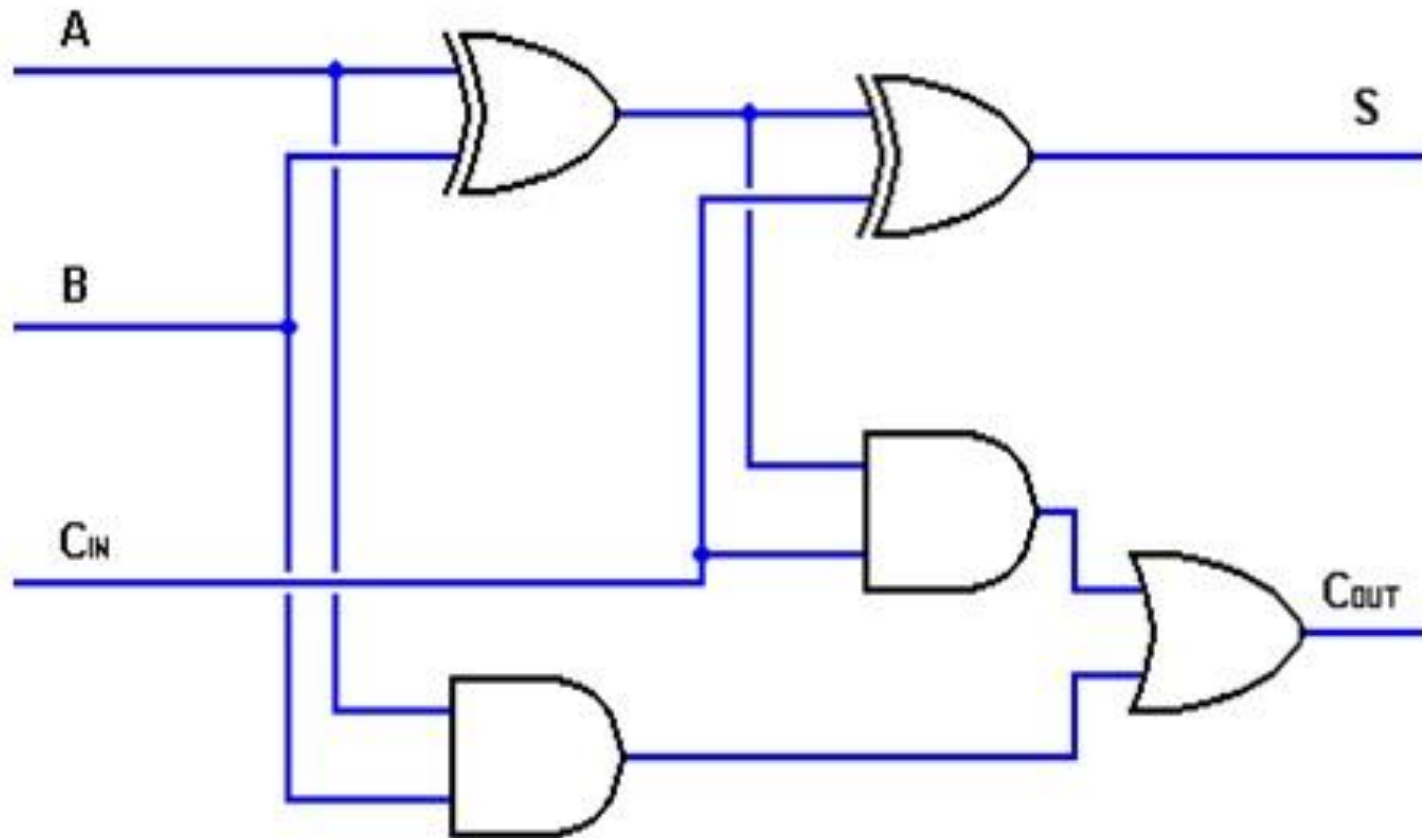
From the truth table, the Sum output is only a logic 1 when one or three (but not two) of the inputs is logic 1. The Boolean expression for this in reduced form:

$$\text{Sum} = \text{Cin} \oplus (A \oplus B)$$

From the truth table, the Cout is only a logic 1 when *two or three* of the inputs is logic 1. The Boolean expression for this is (in reduced form):

$$\text{Cout} = (A.B) + (\text{Cin}.(A \oplus B))$$

## Realization of Full adder



- We can implement a full adder circuit with the help of two half adder circuits
- First half adder will be used to add A and B to produce a partial Sum
- The second half adder logic can be used to add  $C_{in}$  to the Sum produced by the first half adder to get the final S output
- If any of the half adder logic produces a carry, there will be an output carry. Thus,  $C_{OUT}$  will be an OR function of the half-adder Carry outputs

## Schematic representation of a full adder using half adders

